## **ALGEBRA 2H**

## Section 12.4: Using Addition With Probability

## NOTES

[.	The Probability	ofA	or B

1.	Let A and B represent events in the same sample space.			
	(a)	If A and B are <b>mutually exclusive</b> , meaning they do not have an sample space, then the probability of A or B is	ything in common in the	
	$P(A \text{ or } B) = \underline{\hspace{1cm}}$			
		Example: If you roll a standard die one time, what is the probabi you roll a 3 or an even number?	lity	
	(b)	If A and B are <b>inclusive</b> , meaning they do have something in consample space, then the probability of A or B is	nmon in the	
		P(A or B) =		
		Example: If you roll a standard die one time, what is the probabily you roll a multiple of 3 or an even number?	lity	
2.	Mixed	Examples:		
	(a)	If you roll a standard die one time, what is the probability you roll a 2 or an odd number?		
		-		
	(b)	If you roll a standard die one time, what is the probability you roll a 2 or an even number?		
		_	-	

3. Example: In a survey about a change in public policy, 100 people were asked if they favor the change, oppose the change, or have no opinion about the change. The responses are indicated in the table below.

Γ	Men	Women	Total
Favor	18	9	27
Oppose	12	25	37
No Opinion	20	16	36
Total	50	50	100

- (a) Find the probability that a randomly selected respondent to the survey opposes or has no opinion about the change in policy.
- (b) Find the probability that a randomly selected respondent to the survey is a man or has opposes the change in policy.
- (c) Find the probability that a randomly selected respondent to the survey favors or has no opinion about the change in policy.
- (d) Find the probability that a randomly selected respondent to the survey is a woman or favors the change in policy.

4. Example: The table below shows all of the possible outcomes of rolling two number cubes (dice).

Using the table, state whether the events in each pair are inclusive or mutually exclusive.

Then find the probability of each pair of events.

(1,1)	(1,2)	(1,3)	(1,4)	(1,5)	(1,6)
(2,1)	(2,2)	(2,3)	(2,4)	(2,5)	(2,6)
(3,1)	(3, 2)	(3,3)	(3,4)	(3,5)	(3,6)
(4,1)	(4,2)	(4,3)	(4,4)	(4,5)	(4,6)
(5,1)	(5, 2)	(5,3)	(5,4)	(5,5)	(5,6)
(6,1)	(6,2)	(6,3)	(6,4)	(6,5)	(6,6)

How many outcomes are possible?

(a) a sum of 2 or a sum of	£4
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(b) a sum of less than 3 or a sum of greater than 9

(c) a sum of greater than 8 or a sum of greater than 10

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(d) a sum of greater than 4 or a sum of less than 7

## II. The Probability of the Complement of A

1. Definition: The **complement** of event A consists of all outcomes in the sample space that are \_\_\_\_\_ in A, and is denoted by \_\_\_\_\_.

2. **Formulas:** Let A represent an event in the sample space, then

(a) 
$$P(A) + P(A^c) =$$

(b) 
$$P(A) =$$
\_\_\_\_\_\_

(c) 
$$P(A^c) =$$

3.	Examp	oles:	
	(a)	If you roll a standard die one time, what is the probability you roll a 2?	
	(b)	If you roll a standard die one time, what is the probability you do <u>not</u> roll a 2?	
	(c)	If you roll a standard die one time, what is the probability you do <u>not</u> roll a multiple of 3?	
	(d)	If you draw one card from a standard deck of cards, what is the probability you do <u>not</u> draw a face card (jack, queen or king)?	